

Fig. 1.(a) Fundamental mixer (modulation frequency:  $f_c = 1/T_c$ ), (b) time-interleaved (TI) mixer array with a time-interleaving factor of  $M$  (modulation frequency:  $f_c/M$ ), and (c) rectangular pulse trains for the fundamental mixer and the TI mixer arrays.

Fig. 2. Fundamental and time-interleaved carrier modulations with bipolar differential carriers: (a) modulation with fundamental carrier frequency using bipolar *on-off* switches (①: input signal; ②: bipolar rectangular carrier pulse; ③: modulated output; and ④: spectral components of the output normalized by the input peak magnitude), (b) time-interleaved modulation with  $\frac{1}{M}f_c$  of carrier frequency (time interleaving factor: 3, ①: input signal; ②, ③ and ④: bipolar rectangular *subcarrier* pulses; ⑤, ⑥ and ⑦: modulated outputs by ②, ③ and ④, respectively; ⑧: final time-interleaved output; and ⑨: spectral components of the output normalized by the input peak magnitude). For both cases, ① =  $f_c \pm f_s$ , ② =  $3f_c \pm f_s$ , ③ =  $5f_c \pm f_s$ , and ④ =  $7f_c \pm f_s$ .

Fig. 3. A transversal filter equivalent to the delay-sum operation in the time-interleaved carrier signal in (3):  $w_0 = w_1 = w_2 = w_3 = w_{M-1} = 1$ .

Fig. 4. Rectangular pulse subcarriers (①: a unipolar subcarrier, ②: a nonsymmetrical bipolar subcarrier, and ③: an asymmetric bipolar subcarrier)

Fig. 5. Time-interleaved carrier modulation with interleaving factor  $M=2$ : (a) 25% duty-cycle, (b) 75% duty-cycle.

Fig. 6. (a) Single-balanced switching mixer (① and ②: square-waves turning switch  $M_{s1,2}$  *on* and *off* alternatively, ③: transconductor output signal and noise currents, ④: bipolar square-wave equivalent to the switch *on-off* modulation, and ⑤: demodulated signal and noise outputs), (b) conceptual description of the signal and noise demodulation in one-sided spectral domain (①: input signal current to the demodulator, ②: spectral tones of the bipolar square-wave, and ③: demodulated signal and noise outputs).

Fig. 7. Rectangular carrier pulses with a duty cycle  $\Delta T/T_c \leq 50\%$  ( $T_c$ : period, ①:  $\Psi_{\text{unipolar}}(t)$ -unipolar pulse, ②:  $\Psi_{\text{nonsym}}(t)$ - nonsymmetrical bipolar pulse, ③:  $\Psi_{\text{asym}}(t)$  - asymmetric bipolar differential ( $T_d = 1/2T_c$ ) pulse, and ④:  $\Psi_{\text{asym}}(t)$  - asymmetric bipolar pulse with an arbitrary  $T_d$  under a constraint of  $\Delta T \leq T_d \leq T_c - \Delta T$ ).

Fig. 8. Noise figure  $NF(m=1)$  when the fundamental tone of each carrier in Fig. 7 is utilized for the carrier demodulation: (a)  $NF(m=1)$  with the carrier  $\Psi_{\text{unipolar}}(t)$ , (b)  $NF(m=1)$  with the carrier  $\Psi_{\text{nonsym}}(t)$ , (c)  $NF(m=1)$  with the carrier  $\Psi_{\text{asym}}(t)$  and (d)  $NF(m=1)$  with the carrier  $\Psi_{\text{asym}}(t)$  ( $\Delta T/T_c = 37\%$ ). Theoretical calculations are based on the expressions of  $G_{ps,m}$  and  $G_{pn}$  in TABLE I. Simulations are done based on a behavioral mixer model in ADS.

Fig. 9. Time-interleaved carrier modulation/demodulation with a time interleaving factor of  $M$ : (a) time-interleaved mixer array with uncorrelated noises to each mixer (UNTI-mixer array), (b) time-interleaved mixer array with correlated noises to each mixer (CNTI-mixer array).

Fig. 10. Filtering rectangular carrier pulses using a transversal filter which is equivalent to the carrier synthesis based on the delay-sum operation in time-interleaved mixer arrays with  $M$  of time interleaving factor. ①:  $\Psi_{s,\oplus}(t)$ - unipolar subcarrier pulse, ②:  $\Psi_{s,\oplus}(t)$ - nonsymmetrical bipolar subcarrier pulse, ③:  $\Psi_{s,\oplus}(t)$  - asymmetric bipolar differential ( $T_{dx} = \frac{1}{2}MT_c$ ) subcarrier pulse, and ④:  $\Psi_{s,\oplus}(t)$  - asymmetric bipolar subcarrier pulse with an arbitrary  $T_{dx}$  under a constraint of  $\Delta T_x \leq T_{dx} \leq MT_c - \Delta T_x$ .

Fig. 11. Signal power gain, correlated noise power gain, and uncorrelated noise power gain for a 3-mixer array ( $M=3$ ) with various types of subcarriers described in Fig. 10: (a) case with the unipolar subcarrier  $\Psi_{s,\oplus}(t)$ , (b) case with the nonsymmetrical bipolar subcarrier  $\Psi_{s,\oplus}(t)$ , (c) case with the asymmetric differential bipolar subcarrier  $\Psi_{s,\oplus}(t)$ , and (d) case with the asymmetric bipolar subcarrier  $\Psi_{s,\oplus}(t)$  with an arbitrary delay of  $T_{dx}$ . Theoretical calculations are based on the expressions of  $G_{ps,m}$  and  $G_{pn,u}$  in TABLE II. Simulations are done based on a behavioral mixer model in ADS.

Fig. 12. Noise filtering in time-interleaved carrier modulations and demodulations: (a) time-interleaved demodulator array with filtering uncorrelated noises, (b) time-interleaved demodulator array with filtering correlated noises.

Fig. 13. (a) Noise filtering around fundamental frequency of the *subcarrier*  $\Psi_{ic}(t)$  with a highpass filter in time-interleaved mixer array with a time interleaving factor  $M=3$ , (b) conceptual description of spectral tones in the single path of the array.

Fig. 14. Signal power gain and uncorrelated noise power gain after a highpass noise filtering for 3-mixer array ( $M=3$ ) with various types of subcarriers described in Fig. 10: (a) case with the unipolar subcarrier  $\Psi_{s,\oplus}(t)$ , (b) case with the nonsymmetrical bipolar subcarrier  $\Psi_{s,\oplus}(t)$ , (c) case with the asymmetric differential bipolar subcarrier  $\Psi_{s,\oplus}(t)$ , and (d) case with the asymmetric bipolar subcarrier  $\Psi_{s,\oplus}(t)$  with an arbitrary delay of  $T_{dx}$ . Theoretical calculations are based on the expressions of  $G_{ps,m}$  and  $G_{pn,u}$  in TABLE III. Simulations are done based on a behavioral mixer model in ADS.

Fig. 15. Time-interleaving process with errors from gain and delay mismatches among the array elements (the dotted rectangular pulses are ideal subcarriers).  $\Delta T_{\varepsilon,n}$  ( $n=1$  to  $M-1$ ) represents delay mismatch in each subcarrier with reference to the subcarrier of ①.  $\Delta w_{\varepsilon,n}$  ( $n=1$  to  $M-1$ ) expresses gain mismatch from in each array path with reference to the path modulated by the subcarrier of ①.

Fig. 16. Time-interleaving process with errors from gain and delay mismatches among the array elements (the dotted rectangular pulses are ideal subcarriers).  $\Delta T_{\varepsilon,n}$  ( $n=1$  to  $M-1$ ) represents delay mismatch in each subcarrier with reference to the subcarrier of ①.  $\Delta w_{\varepsilon,n}$  ( $n=1$  to  $M-1$ ) expresses gain mismatch from in each array path with reference to the path modulated by the subcarrier of ①.

Fig. 17. Contour plots of the noise factor,  $F(m=3)$  in (13), of UNTI-mixer arrays with  $M=3$  (duty-cycle: 50%) under weight and delay mismatches: (a) noise factor without noise filtering, (b) noise factor with an ideal bandpass noise filtering, and (c) noise factor with an ideal high-pass noise filtering (only fundamental tone,  $f_c/3$ , is rejected by an ideal HPF).

TABLE I. SIGNAL POWER GAIN ( $G_{PS,M}$ ) AND NOISE POWER GAIN ( $G_{PN}$ ) IN THE DEMODULATION PROCESS BY EACH CARRIER IN FIG. 7.

TABLE II. SIGNAL POWER GAIN ( $G_{PS,M}$ ) AND NOISE POWER GAIN ( $G_{PN}$ ) IN THE TIME-INTERLEAVED DEMODULATION PROCESS PERFORMED BY EACH CARRIER IN FIG. 10.

TABLE III. SIGNAL POWER GAIN ( $G_{PS,M}$ ) AND NOISE POWER GAIN ( $G_{PN,U}$ ) AFTER HIGH-PASS NOISE FILTERING IN THE TIME-INTERLEAVED DEMODULATION PROCESS PERFORMED BY EACH CARRIER IN FIG. 10.